

REVOLUTION

Institut National
Classe des Sciences Physiques et Mathématiques



Paris, le
an XIV de la République française
Le Président de la Classe des sciences Physiques et Mathématiques
Le Secrétaire perpétuel pour les sciences
à Monsieur le président de l'Institut

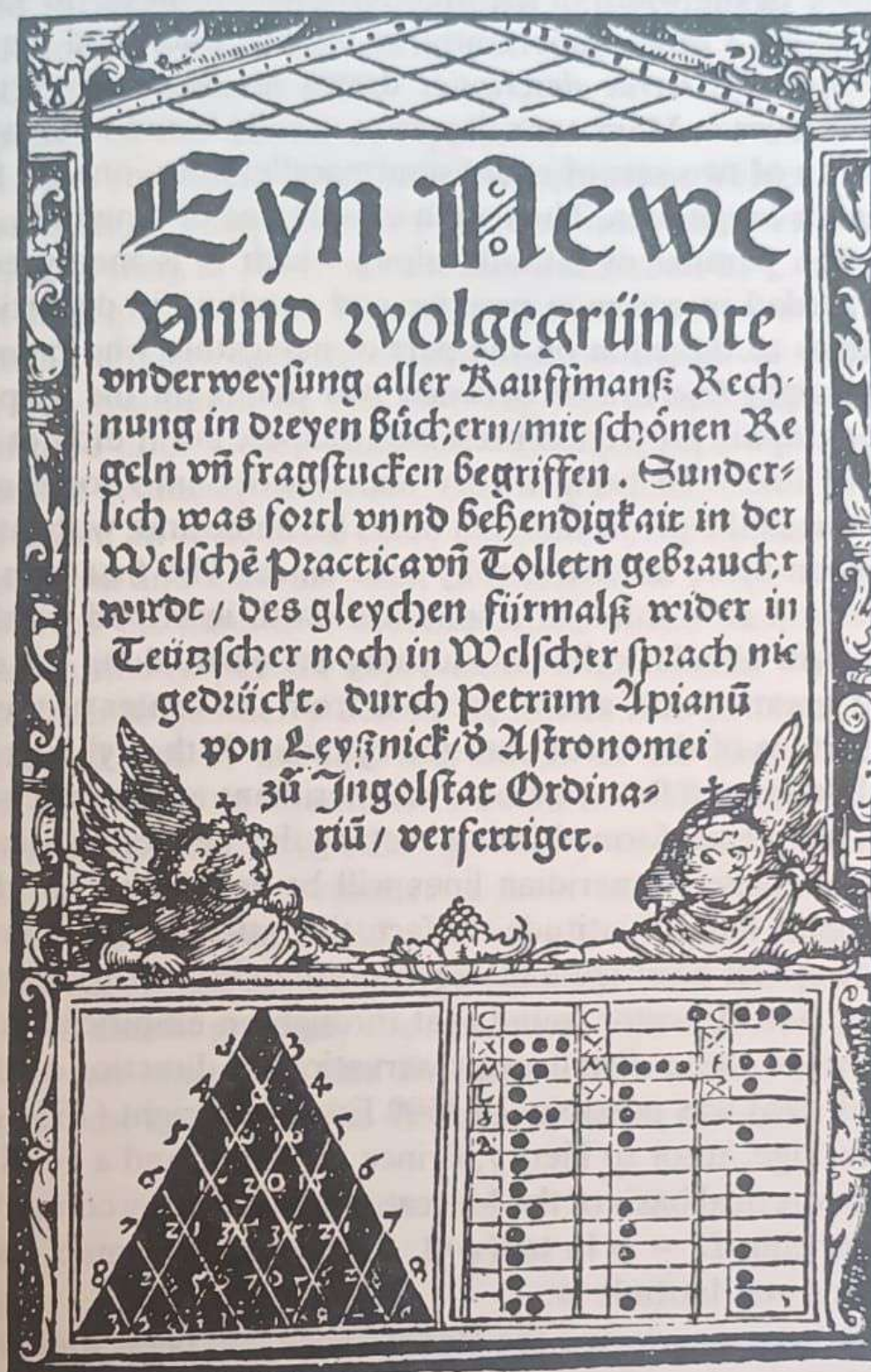
Monsieur et cher confrère

Je me presse de vous informer que la Classe des sciences
physiques et Mathématiques a adopté unanimement le projet d'avis
délivré dans l'Assemblée des Bureaux. Elle a passé en même temps
qu'il suffirait que cet objet fut rapporté à l'Assemblée générale
de l'Institut sans soulever aucune question extraordinaire ad hoc.

Après, Monsieur et cher confrère, l'assurance de la
considération distinguée avec laquelle j'ai l'honneur de vous saluer

Le Gendre

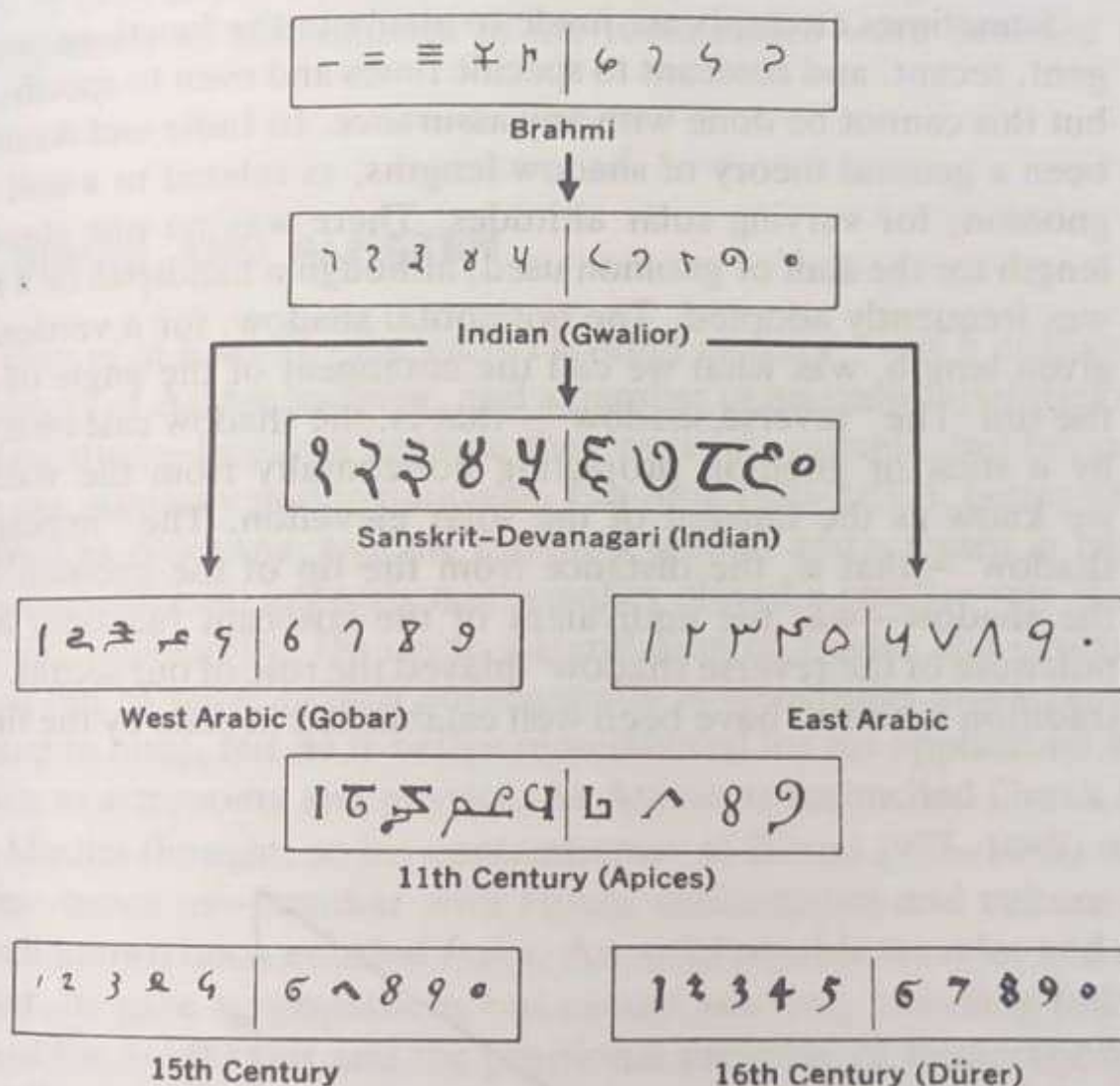
Autograph letter of Legendre. In some of his letters the form "Le Gendre" appears, as in this case. In general the name is spelled Legendre.



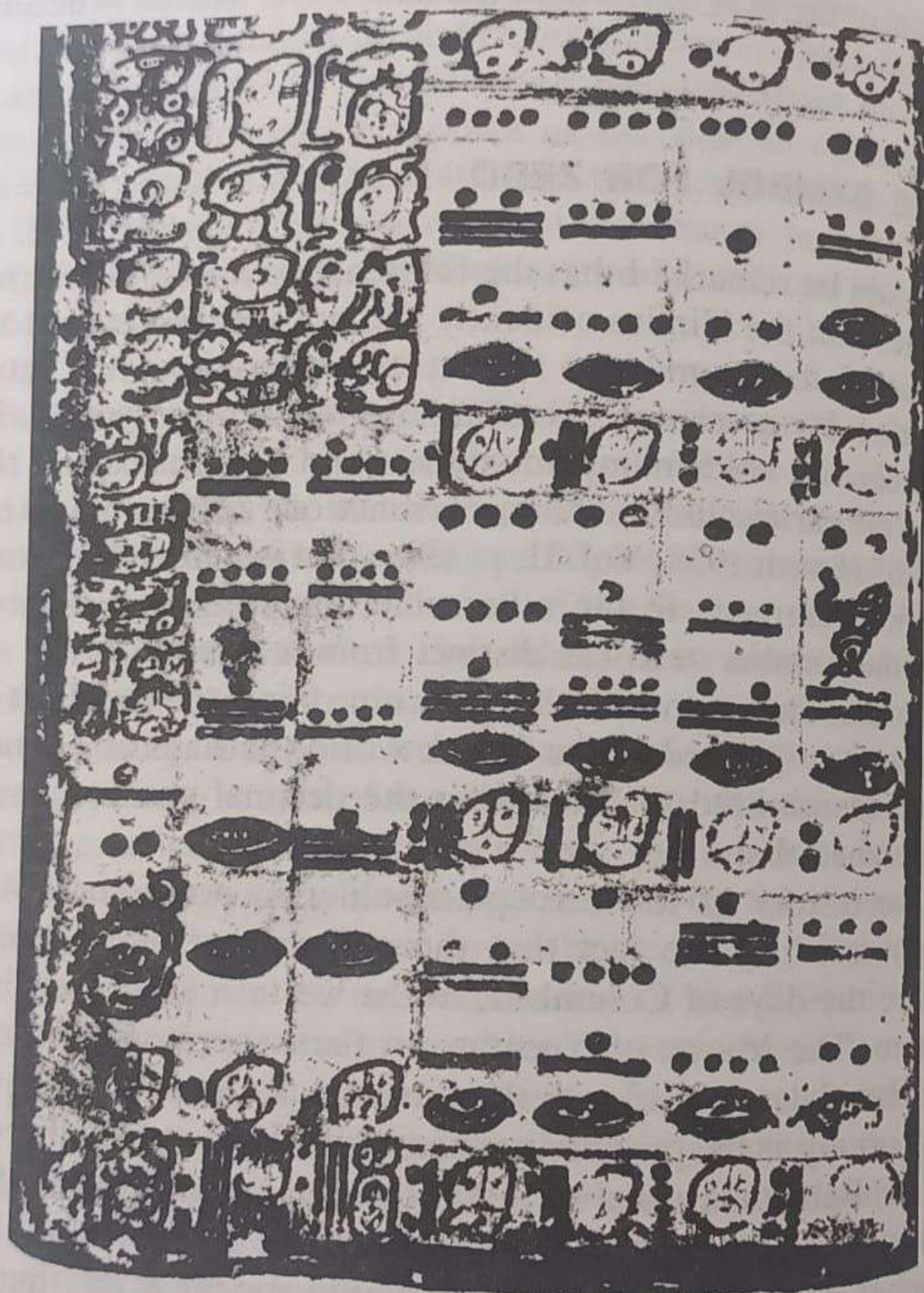
Pascal Triangle as first printed, 1527. Title page of the arithmetic of Petrus Apianus, Ingolstadt, 1527, more than a century before Pascal investigated the properties of the triangle.

13.12. ARABIC TRIGONOMETRY

As in numeration there was competition between systems of Greek and Indian origin, so also in astronomical calculations there were at first in Arabia two types of trigonometry—the Greek geometry of chords, as found in the *Almagest*, and the Hindu tables of sines, as derived through the *Sindhind*. Here, too, the conflict resulted in triumph for the Hindu aspect, and most Arabic trigonometry ultimately was built on the sine function. It was, in fact, again through the Arabs, rather than directly from the Hindus, that this trigonometry of the sine reached Europe. The astronomy of al-Battani (ca. 850–929), known in Europe as Albategnius, served as the primary vehicle of transmission, although Thabit ibn-Qurra seems to



Genealogy of our digits. Following Karl Menninger, *Zahlwort und Ziffer* (Göttingen: Vandenhoeck & Ruprecht, 1957–1958, 2 vols.), Vol. II, p. 233.



From the Dresden Codex, of the Maya, displaying numbers. The second column on the left, from above down, displays the numbers 9, 9, 16, 0, 0, which stand for $9 \times 144,000 + 9 \times 7200 + 16 \times 360 + 0 + 0 = 1,366,560$. In the third column are the numerals 9, 9, 9, 16, 0, representing 1,364,360. The original appears in black and red colors. (Taken from Morley 1915, p. 266.)

lanceolata, elegantissime omnes expectationes superantia acquisivimus et quidem per methodos suae campum prorsus novum nobis aperuit. Gott. Jul.

Solutio problematis ballistici Gott. Jul.

Cometarum theoriam perfectiorem reddidi Gott. Jul.
Novus in analysi campus se nobis aperuit, scilicet investigatio functionum etc.

Formas superiores considerare coepimus Br. Febr. 14

Formulas novas exactas pro parallaxi
eruiamus ——— Br. Apr. 8.

Terminum medium arithmetico-geometricum
inter 1 et $\sqrt{2}$ esse = $\frac{\pi}{10}$ usque
ad figuram undecimam comprobavimus, quare
demonstrata prorsus novus campus in analysi
certo aperietur Br. Mai 30.

In principis Geometriae eorgios progressus
fecimus Br. Sept.

Circa terminos medios arithmetico-geometricos
multa nova deteximus Br. Novemb.